ROB 498/599: Deep Learning for Robot Perception (DeepRob)

Lecture 9: Training Neural Networks - Part 1 02/10/2025





Today

- Feedback and Recap (5min)
- Training NNs
 - Activation Functions (20min)
 - Data Pre-Processing (20min)
 - Weight Initialization (10min)
 - Dropout (10min)
- Summary and Takeaways (5min)

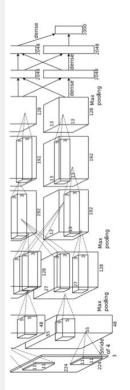


Aha Slides (In-class participation)

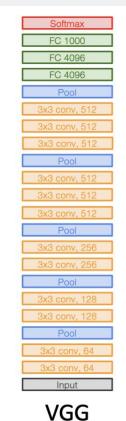
https://ahaslides.com/MG2EU

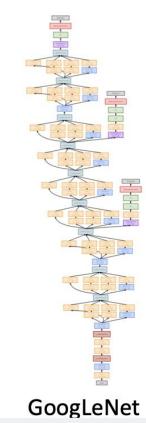


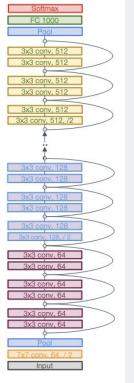
P2 Due Feb. 16, 2025 Recap: Components of Convolutional Networks



AlexNet







ResNet

Overview

1. One time setup:

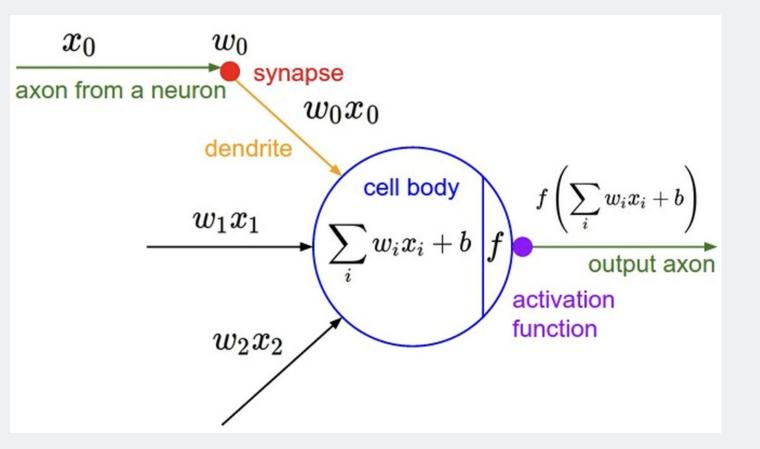
- Activation functions, data preprocessing, weight initialization, regularization
- 2. Training dynamics:
 - Learning rate schedules; large-batch training; hyperparameter optimization
- 3. After training:
 - Model ensembles, transfer learning



Next time

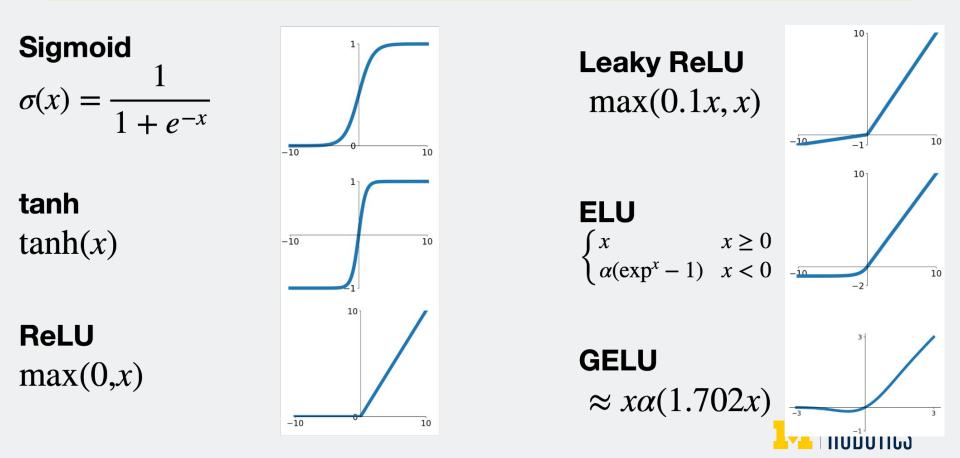
Today

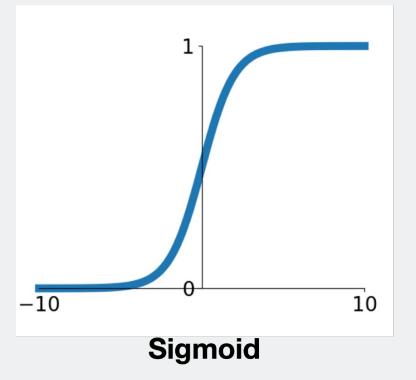
Activation Functions





Activation Functions

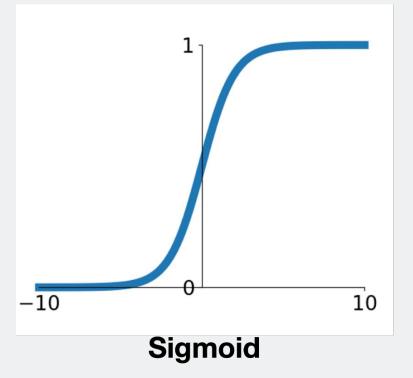




$$\sigma(x) = \frac{1}{1 + e^{-x}}$$

- Squashes numbers to range [0, 1]
- Historically popular since they have nice interpretation as a saturating "firing rate" of a neuron





 $\sigma(x) = \frac{1}{1 + e^{-x}}$

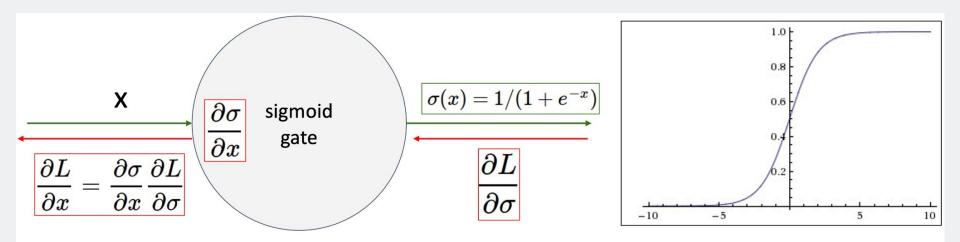
- Squashes numbers to range [0, 1]
- Historically popular since they have nice interpretation as a saturating "firing rate" of a neuron
- 3 problems:
 - 1. Saturated neurons "kill" the gradients



Aha Slides (In-class participation)

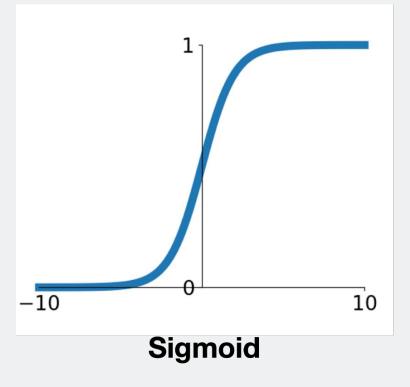
https://ahaslides.com/MG2EU





- **Q**: What happens when x = -10?
 - What happens when x = 0?
 - What happens when x = 10?





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- Squashes numbers to range [0, 1]
- Historically popular since they have nice interpretation as a saturating "firing rate" of a neuron

3 problems:

- 1. Saturated neurons "kill" the gradients
- 2. Sigmoid outputs are not zero-centered



Consider what happens when nonlinearity is always positive

$$h_i^{(\ell)} = \sum_j w_{i,j}^{(\ell)} \sigma(h_j^{\ell-1}) + b_i^{(\ell)}$$

 $h_i^{(\ell)}$ is the *i*th element of the hidden layer at layer ℓ (before activation) $w^{(\ell)}, b^{(\ell)}$ are the weights and bias of layer ℓ

What can we say about the gradients on $w^{(\ell)}$?

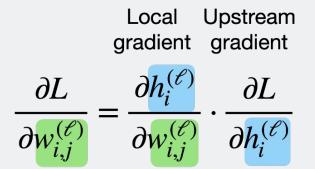


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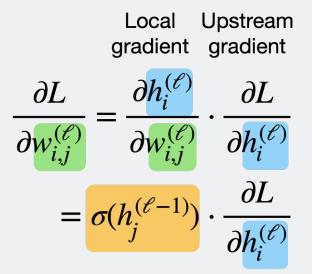
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What can we say about the gradients on $w^{(\ell)}$? Gradients on all $w_{i,j}^{(\ell)}$ have the same sign as upstream gradient $\partial L/\partial h_i^{(\ell)}$





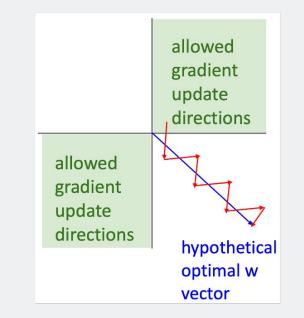
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Gradients on rows of *w* can only point in some directions; needs to "zigzag" to move in other directions



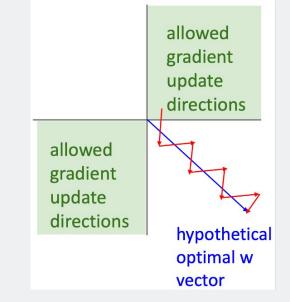
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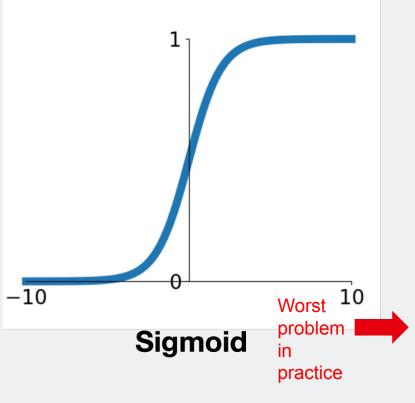
What can we say about the gradients on $w^{(\ell)}$? Gradients on all $w_{i,j}^{(\ell)}$ have the same sign as upstream gradient $\partial L/\partial h_i^{(\ell)}$



Not that bad in practice:

- Only true for a single example, mini batches help Also momentum
- BatchNorm can also avoid this





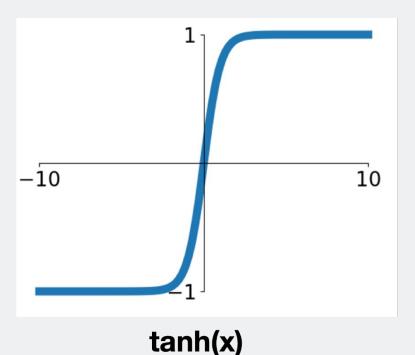
$$\sigma(x) = \frac{1}{1 + e^{-x}}$$

- Squashes numbers to range [0, 1]
- Historically popular since they have nice interpretation as a saturating "firing rate" of a neuron

3 problems:

- Saturated neurons "kill" the gradients
- 2. Sigmoid outputs are not zero-centered
- 3. exp() is a bit compute expensive

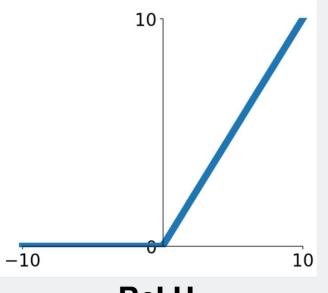
Activation Functions: tanh



- Squashes numbers to range [-1, 1]
- Zero centered (nice)
- Still kills gradients when saturated :(



Activation Functions: ReLU

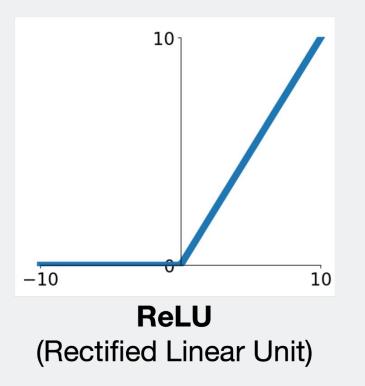


ReLU (Rectified Linear Unit)

- $f(x) = \max(0, x)$
- Does not saturate (in +region)
- Very computationally efficient
- Converges much faster than sigmoid and tanh in practice (e.g. 6x)



Activation Functions: ReLU

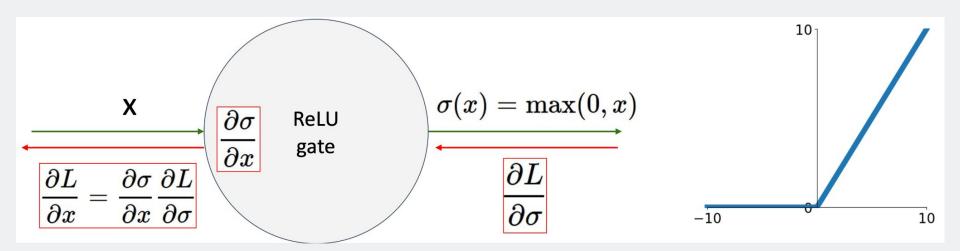


- $f(x) = \max(0, x)$
- Does not saturate (in +region)
- Very computationally efficient
- Converges much faster than sigmoid and tanh in practice (e.g. 6x)

- Not zero-centered output
- An annoyance:

Hint: what is the gradient when x<0?

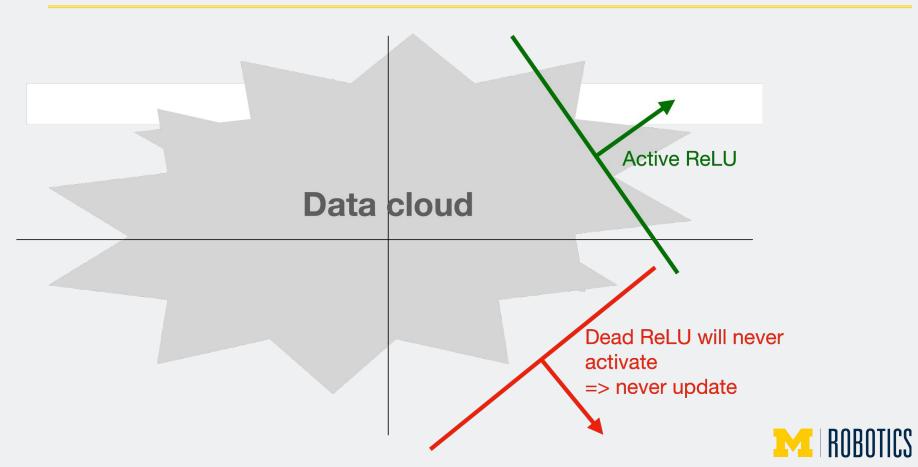
Activation Functions: ReLU

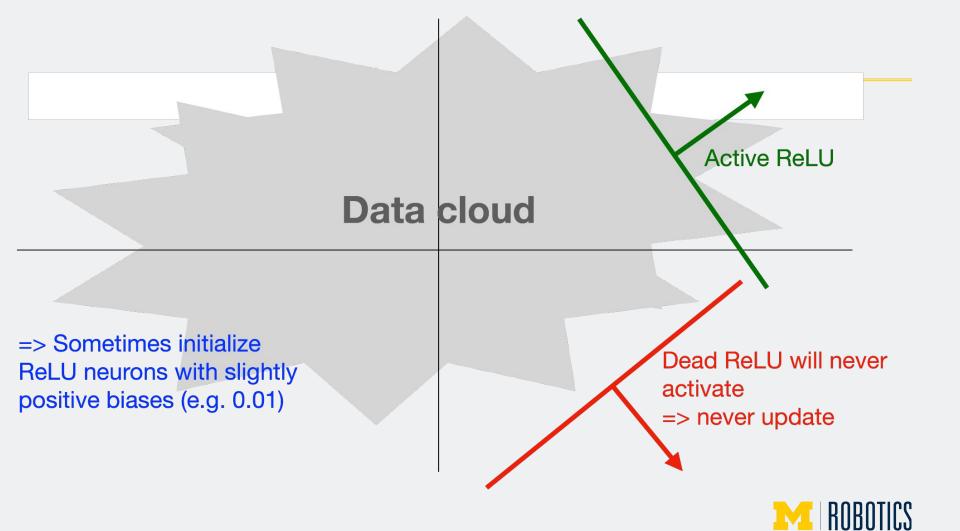


- **Q:** What happens when x = -10?
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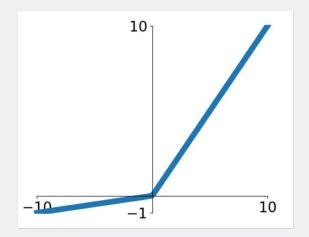
https://ahaslides.com/MG2EU

"Dead ReLU Problem"





Activation Functions: Leaky ReLU



Leaky ReLU

- $f(x) = \max(\alpha x, x)$
- α is a hyperparameter, often $\alpha=0.1$

Maas et al, "Rectifier Nonlinearities Improve Neural Network Acoustic Models", ICML 2013

https://ai.stanford.edu/~amaas/papers/relu_hybrid_icml2013_final.pdf

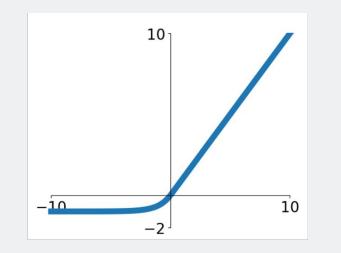
- Does not saturate
- Computationally efficient
- Converges much faster than sigmoid and tanh in practice (e.g. 6x)
- Will not "die"

Parametric ReLU (PReLU) $f(x) = \max(\alpha x, x)$ α is learned via backprop

He et al, "Delving Deep into Rectifiers: Surpassing Human-Level Performance on ImageNet Classification", ICCV 2015 <u>https://arxiv.org/abs/1502.01852</u>



Activation Functions: Exponential Linear Unit (ELU)



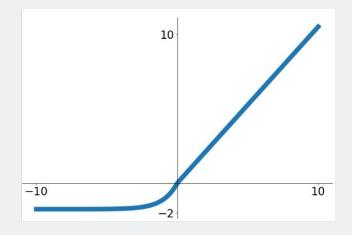
- All benefits of ReLU
- Closer to zero means outputs
- Negative saturation regime compared with Leaky ReLU adds some robustness to noise

$$f(x) = \begin{cases} x & \text{if } x > 0\\ \alpha(e^x - 1) & \text{if } x \le 0 \end{cases}$$

- Computation requires exp()



Activation Functions: Scale Exponential Linear Unit (SELU)



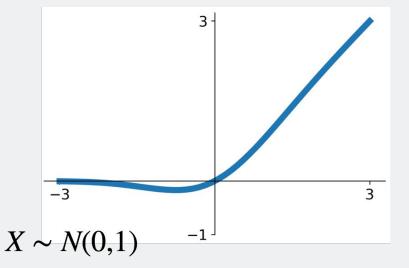
 Scaled version of ELU that works better for deep networks "Self-Normalizing" property; can train deep SELU networks without BatchNorm

$$selu(x) = \begin{cases} \lambda x & \text{if } x > 0\\ \lambda \alpha (e^x - 1) & \text{if } x \le 0 \end{cases}$$

 $\alpha = 1.6732632423543772848170429916717$ $\lambda = 1.0507009873554804934193349852946$ Derivation takes 90+ pages of math in appendix...



Activation Functions: Gaussian Error Linear Unit (GELU)



 $gelu(x) = xP(X \le x) = \frac{x}{2}(1 + erf(x/\sqrt{2}))$ $\approx x\sigma(1.702x)$

Hendrycks and Gimpel, Gaussian Error Linear Units (GELUs), 2016 https://arxiv.org/abs/1606.08415

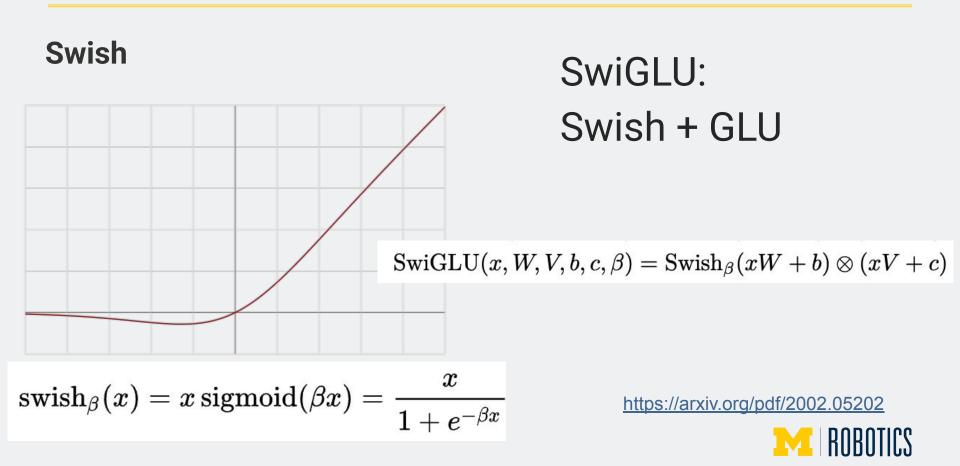
- Idea: Multiply input by 0 or 1 at random; large values more likely to be multiplied by 1, small values more likely to be multiplied by 0 (datadependent dropout)
- Take expectation over randomness
- Very common in Transformers (BERT, GPT, ViT)

SwiGLU

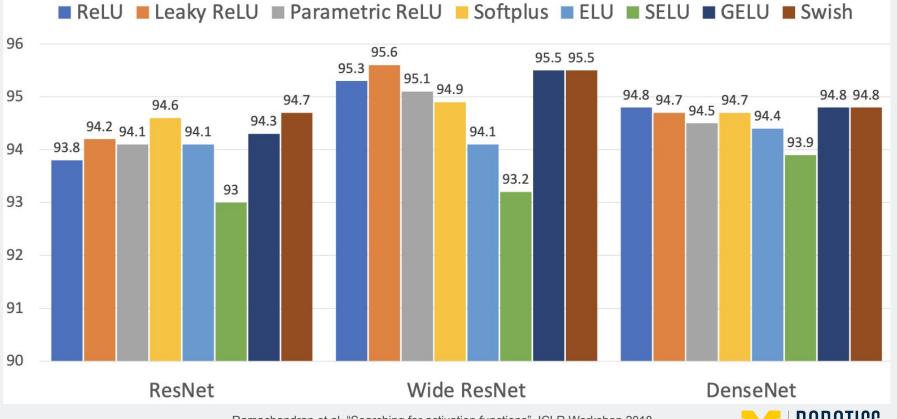
https://arxiv.org/pdf/2002.05202



Activation Functions: SwiGLU



Activation Functions: Leaky ReLU



Ramachandran et al, "Searching for activation functions", ICLR Workshop 2018 https://arxiv.org/abs/1710.05941

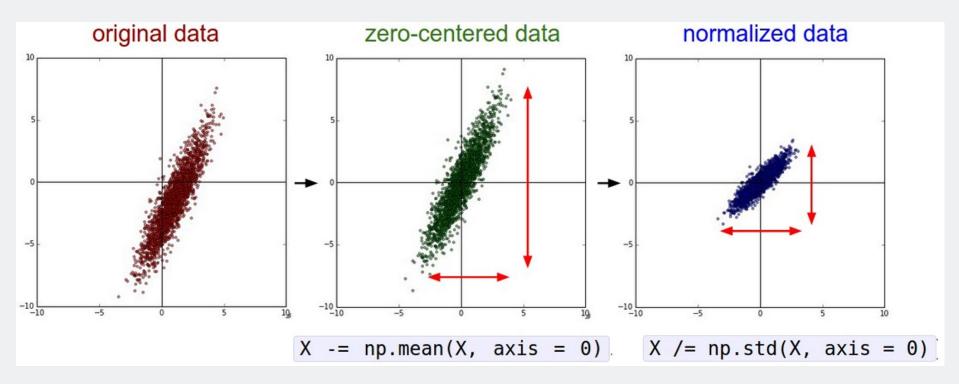
Activation Functions: Summary

- Don't think too hard. Just use ReLU
- Try out Leaky ReLU / ELU / SELU / GELU if you need to squeeze that last 0.1%
- Don't use sigmoid or tanh

Some (very) recent architectures use GeLU instead of ReLU, but the gains are minimal

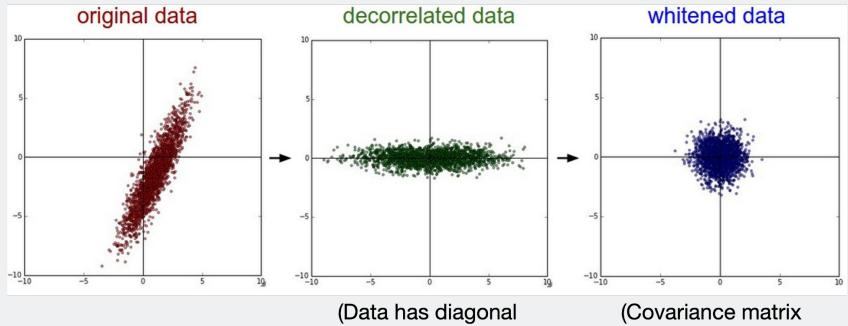
Dosovitskiy et al, "An Image is Worth 16x16 Words: Transformers for Image Recognition at Scale", ICLR 2021 Liu et al, "A ConvNet for the 2020s", arXiv 2022





(Assume X[NxD] is data matrix, each example in a row)

In practice, you may also see PCA and Whitening of the data

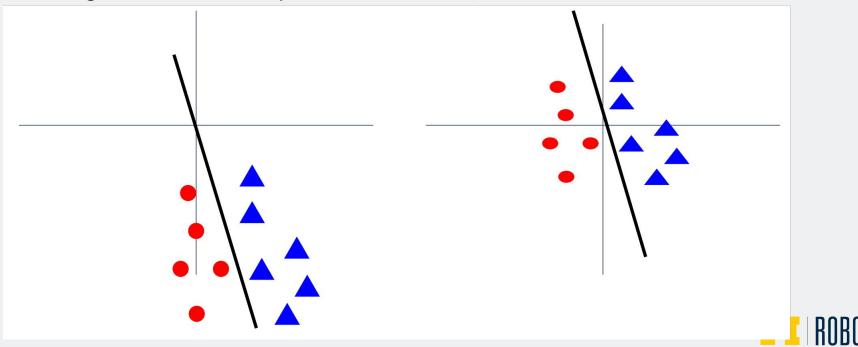


covariance matrix)

(Covariance matrix is the identity matrix)

Before normalization: Classification loss very sensitive to changes in weight matrix; hard to optimize

After normalization: less sensitive to small changes in weights; easier to optimize



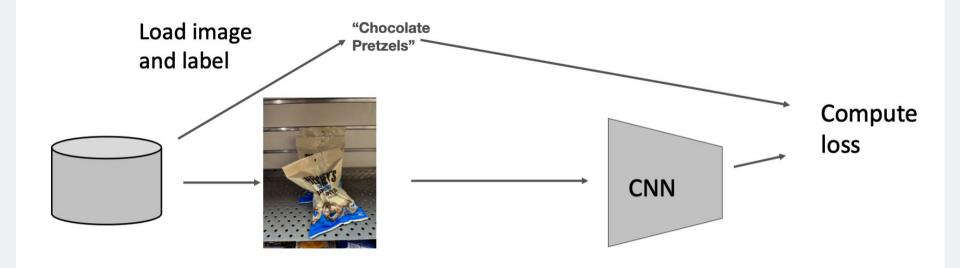
Data Preprocessing for Images

e.g. consider CIFAR-10 example with [32, 32, 3] images

- Subtract the mean image (e.g. AlexNet) (mean image = [32, 32, 3] array)
- Subtract per-channel mean (e.g. VGGNet) (mean along each channel = 3 numbers)
- Subtract per-channel mean and Divide by perchannel std (e.g. ResNet) (mean along each channel = 3 numbers)

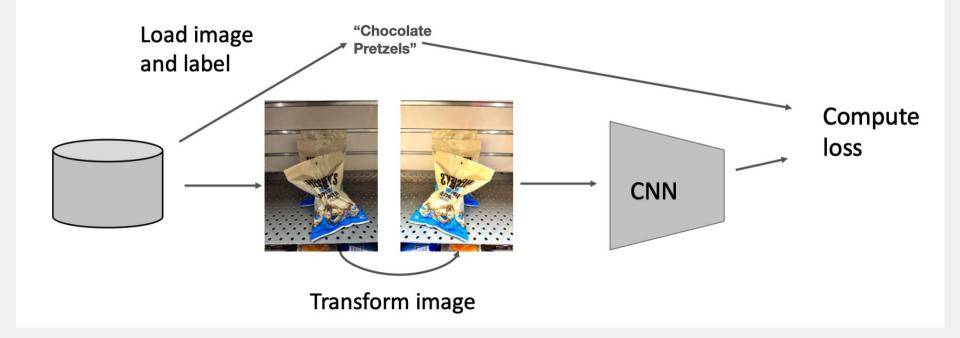
Not common to do PCA or whitening

Data Augmentation



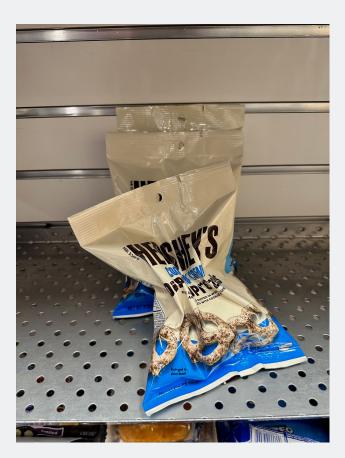


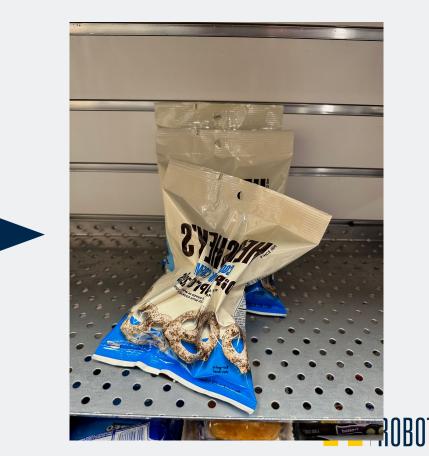
Data Augmentation





Data Augmentation: Horizontal Flips





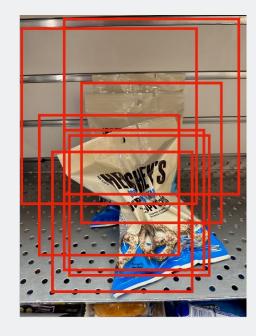
Data Augmentation: Random Crops and Scales

- **Training:** sample random crops / scales **ResNet:**
- 1. Pick random L in range [256, 480]
- 2. Resize training image, short side = L
- 3. Sample random 224 x 224 patch

Testing: average a fixed set of crops

ResNet:

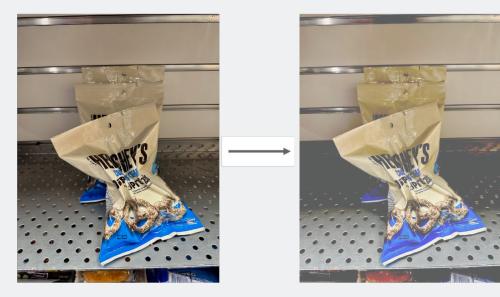
- 1. Resize image at 5 scales: {224, 256, 384, 480, 640}
- 2. For each size, use 10 224 x 224 crops: 4 corners + center, + flips





Data Augmentation: Color Jitter

Simple: Randomize contrast and brightness



More complex:

- 1. Apply PCA to all [R, G, B] pixels in training set
- 2. Sample a "color offset" along principal component directions
- 3. Add offset to all pixels of a training image

(Used in AlexNet, ResNet, etc)



Data Augmentation: RandAugment

```
transforms = [
'Identity', 'AutoContrast', 'Equalize',
'Rotate', 'Solarize', 'Color', 'Posterize',
'Contrast', 'Brightness', 'Sharpness',
'ShearX', 'ShearY', 'TranslateX', 'TranslateY']
def randaugment (N, M):
"""Generate a set of distortions.
  Args:
   N: Number of augmentation transformations to
        apply sequentially.
   M: Magnitude for all the transformations.
11 11 11
 sampled_ops = np.random.choice(transforms, N)
 return [(op, M) for op in sampled_ops]
```

Apply random combinations of transforms:

- **Geometric:** Rotate, translate, shear
- Color: Sharpen, contrast, brightness, solarize, posterize, color



Data Augmentation: RandAugment

Magnitude: 9



Original







AutoContrast

Original



ShearX



AutoContrast

Magnitude: 28



ShearX



AutoContrast

Apply random combinations of transforms:

- Geometric: Rotate, translate, shear
- Color: Sharpen, contrast, brightness, solarize, posterize, color









Original

Data augmentation encodes invariances in your model

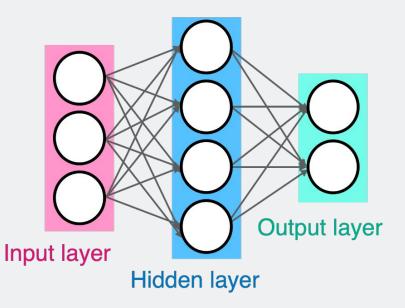
Think for your problem: what changes to the image should not change the network output?

Maybe different for different tasks!



Weight Initialization

Weight Initialization



Q: What happens if we initialize all W=0, b=0?

A: All outputs are 0, all gradients are the same! No "symmetry breaking"



Weight Initialization

Next idea: **small random numbers** (Gaussian with zero mean, std=0.01)

W = 0.01 * np.random.randn(Din, Dout)

Works ~okay for small networks, but problems with <u>deeper</u> networks.

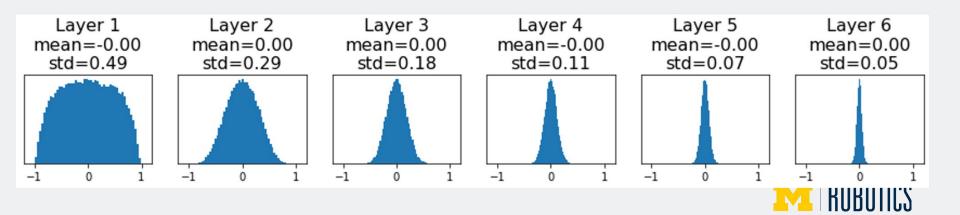


Weight Initialization: Activation Statistics

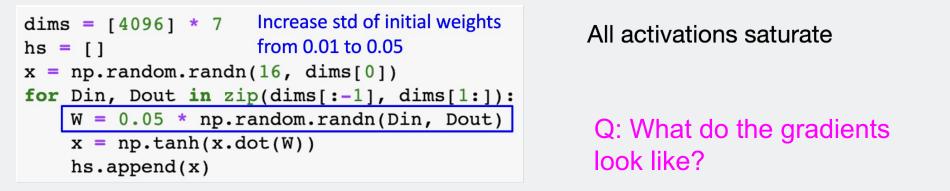
```
dims = [4096] * 7 Forward pass for a 6-layer
hs = [] net with hidden size 4096
x = np.random.randn(16, dims[0])
for Din, Dout in zip(dims[:-1], dims[1:]):
    W = 0.01 * np.random.randn(Din, Dout)
    x = np.tanh(x.dot(W))
    hs.append(x)
```

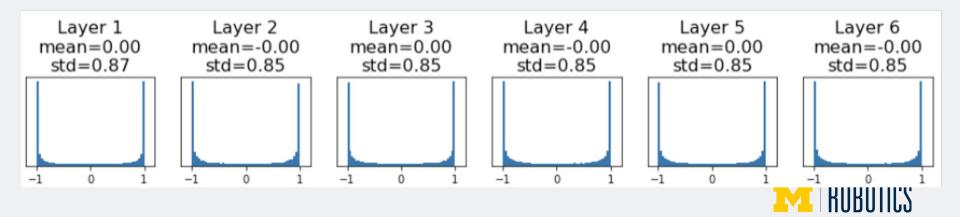
All activations tend to zero for deeper network layers

Q: What do the gradients look like?



Weight Initialization: Activation Statistics



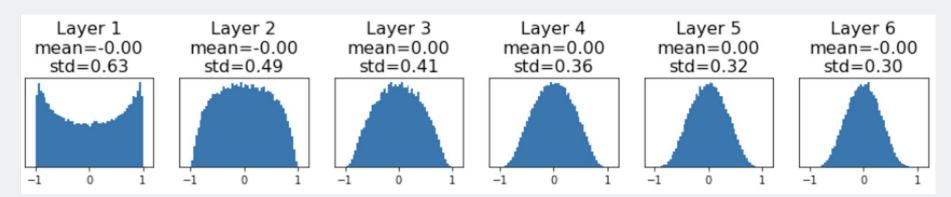


Weight Initialization: Xavier Initialization

dim	s = [4096] * 7	"Xavier	" initialization:	
hs = []		std = 1/	std = 1/sqrt(Din)	
<pre>x = np.random.randn(16, dims[0])</pre>				
<pre>for Din, Dout in zip(dims[:-1], dims[1:]):</pre>				
	<pre>Din, Dout in zip(dims[:-1], dims[1:]): W = np.random.randn(Din, Dout) / np.sqrt(Din)</pre>			
	x = np.tanh(x.dot(W))			
	hs.append(x)			

"Just right": Activations are nicely scaled for all layers!

For conv layers, Din is kernel_size² x input_channels





Weight Initialization: Xavier Initialization

Derivation: Variance of output = Variance of input

$$y = Wx \qquad \qquad y_i = \sum_{j=1}^{Din} x_j w_j$$

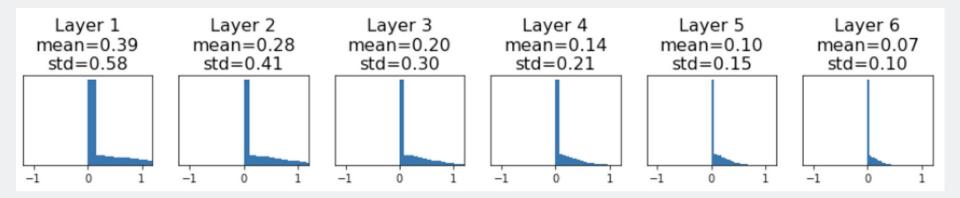
$Var(y_i) = Din * Var(x_iw_i)$ [Assume x, w are iid] = Din * (E[x_i^2]E[w_i^2] - E[x_i]^2 E[w_i]^2) [Assume x, w independent] = Din * Var(x_i) * Var(w_i) [Assume x, w are zero-mean]

If
$$Var(w_i) = 1/Din$$
 then $Var(y_i) = Var(x_i)$



Weight Initialization: Xavier Initialization

```
dims = [4096] * 7 Change from tanh to ReLU
hs = []
x = np.random.randn(16, dims[0])
for Din, Dout in zip(dims[:-1], dims[1:]):
    W = np.random.randn(Din, Dout) / np.sqrt(Din)
    x = np.maximum(0, x.dot(W))
    hs.append(x)
Xavier assumes zero centered
activation function
Activations collapse to zero
again, no learning:(
```

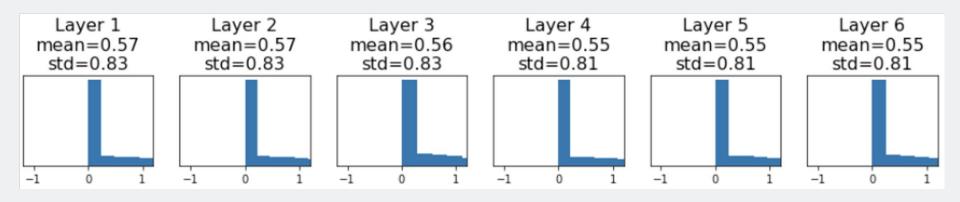




Weight Initialization: Kaiming/MSRA initialization

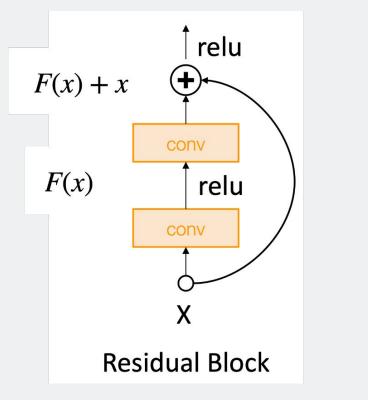
```
dims = [4096] * 7 ReLU correction: std = sqrt(2 / Din)
hs = []
x = np.random.randn(16, dims[0])
for Din, Dout in zip(dims[:-1], dims[1:]):
    W = np.random.randn(Din, Dout) / np.sqrt(Din)
    x = np.maximum(0, x.dot(W))
    hs.append(x)
```

"Just right" - activations nicely scaled for all layers



He et al., "Delving Deep into Rectifiers: Surpassing Human-Level Performance on ImageNet Classification", ICCV 2015

Weight Initialization: Residual Networks



If we initialize with MSRA: then Var(F(x)) = Var(x)

But then Var(F(x) + x) > Var(x)variance grows with each block!

Solution: Initialize first conv with MSRA, initialize second conv to zero. Then Var(F(x) + x) = Var(x)

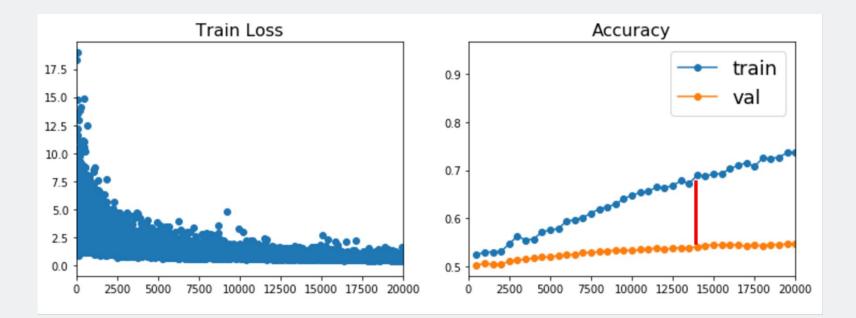


Proper Initialization: Active area of research

- Understanding the difficulty of training deep feedforward neural networks by Glorot and Bengio, 2010
- Exact solutions to the nonlinear dynamics of learning in deep linear neural networks by Saxe et al, 2013
- Random walk initialization for training very deep feedforward networks by Sussillo and Abbott, 2014
- Delving deep into rectifiers: Surpassing human-level performance on ImageNet classification by He et al., 2015
- Data-dependent Initializations of Convolutional Neural Networks by Krähenbühl et al., 2015
- All you need is a good init, Mishkin and Matas, 2015
- Fixup Initialization: Residual Learning Without Normalization, Zhang et al, 2019
- The Lottery Ticket Hypothesis: Finding Sparse, Trainable Neural Networks, Frankle and Carbin, 2019
-



Now your model is training... but it overfits!



Regularization



Recap: Regularization

$$L = \frac{1}{N} \sum_{i=1}^{N} \sum_{j \neq y_i} \max(0, f(x_i; W)_j - f(x_i; W)_{y_i} + 1) + \frac{\lambda R(W)}{\lambda R(W)}$$

In common use:

L2 regularization

L1 regularization

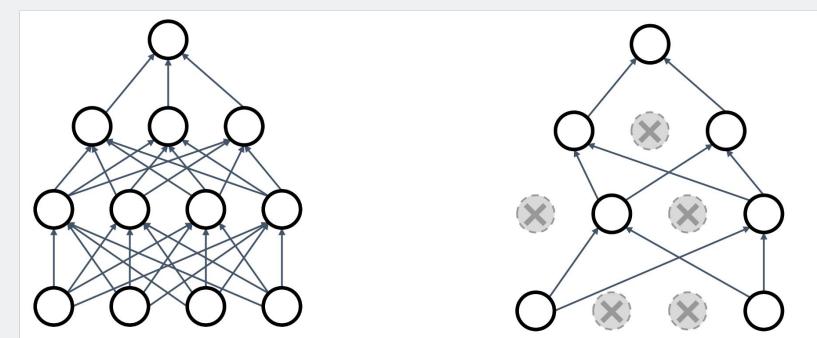
Elastic net (L1 + L2)

$$R(W) = \sum_{k} \sum_{l} W_{k,l}^{2} \text{ (Weight decay)}$$

$$R(W) = \sum_{k} \sum_{l} |W_{k,l}|$$

$$R(W) = \sum_{k} \sum_{l} \beta W_{k,l}^{2} + |W_{k,l}|$$
ROBOTION

In each forward pass, randomly set some neurons to zero Probability of dropping is a hyperparameter; 0.5 is common





Srivastava et al, "Dropout: A simple way to prevent neural networks from overfitting", JMLR 2014 <u>https://www.cs.toronto.edu/~hinton/absps/JMLRdropout.pdf</u>

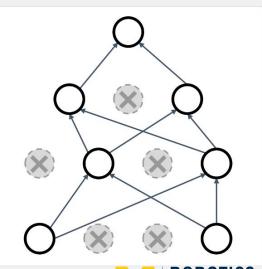
p = 0.5 # probability of keeping a unit active. higher = less dropout

```
def train_step(X):
    """ X contains the data """

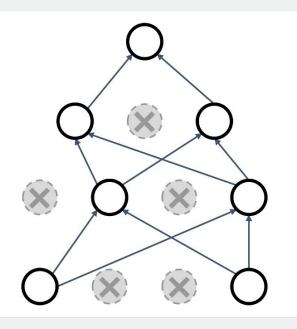
    # forward pass for example 3-layer neural network
H1 = np.maximum(0, np.dot(W1, X) + b1)
U1 = np.random.rand(*H1.shape)
```

backward pass: compute gradients... (not shown)
perform parameter update... (not shown)

Example forward pass with a 3-layer network using dropout



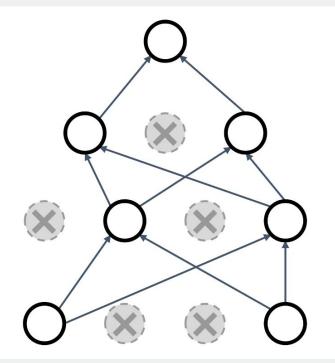




Forces the network to have a redundant representation; prevents **co-adaptation** of features







Another interpretation:

Dropout is training a large *ensemble* of models (that share parameters).

Each binary mask is one model

An FC layer with 4096 units has $2^{4096} \sim 10^{1233}$ possible masks! Only ~10⁸² atoms in the universe...



Dropout: Test Time

Dropout makes our output random!

$$y = f_{\mathcal{W}}(x, z)$$
utput label Input image

Want to "average out" the randomness at test-time

$$y = f(x, z) = \mathbb{E}_{z}[f(x, z)] = \left[p(z)f(x, z)dz \right]$$

J

But this integral seems hard...



Dandom mack

Dropout: Test Time

Want to approximate the integral

$$y = f(x, z) = \mathbb{E}_{z}[f(x, z)] = \int p(z)f(x, z)dz$$

 $\begin{array}{c}
 a \\
 w_1 \\
 w_2 \\
 \hline
 x \\
 y
\end{array}$

Consider a single neuron:

At test time we have: $\mathbb{E}[a] = w_1 x + w_2 y$ During training time $\mathbb{E}[a] = \frac{1}{4}(w_1 x + w_2 y) + \frac{1}{4}(w_1 x + 0y)$ we have: $+\frac{1}{4}(0x + 0y) + \frac{1}{4}(0x + w_2 y)$

At test time, drop nothing and multiply by dropout probability

INC | **ROBOTICS**

 $=\frac{1}{2}(w_1x+w_2y)$

Dropout: Test Time

```
def predict(X):
    # ensembled forward pass
H1 = np.maximum(0, np.dot(W1, X) + b1) * p # NOTE: scale the activations
H2 = np.maximum(0, np.dot(W2, H1) + b2) * p # NOTE: scale the activations
out = np.dot(W3, H2) + b3
```

At test time all neurons are active always

=> We must scale the activations so that for each neuron: Output at test time = Expected output at training time



Dropout: Summary

```
Vanilla Dropout: Not recommended implementation (see notes below) """
p = 0.5 \# probability of keeping a unit active, higher = less dropout
def train step(X):
  """ X contains the data """
 # forward pass for example 3-layer neural network
 H1 = np.maximum(0, np.dot(W1, X) + b1)
 U1 = np.random.rand(*H1.shape) 
 H1 *= U1 # drop!
 H2 = np.maximum(0, np.dot(W2, H1) + b2)
 U2 = np.random.rand(*H2.shape) < p # second dropout mask
 H2 *= U2 # drop!
 out = np.dot(W3, H2) + b3
  # backward pass: compute gradients... (not shown)
  # perform parameter update... (not shown)
def predict(X):
  # ensembled forward pass
 H1 = np.maximum(0, np.dot(W1, X) + b1) * p # NOTE: scale the activations
 H2 = np.maximum(0, np.dot(W2, H1) + b2) * p # NOTE: scale the activations
```

out = np.dot(W3, H2) + b3

Drop in forward pass



More common: "Inverted dropout"

p = 0.5 # probability of keeping a unit active. higher = less dropout

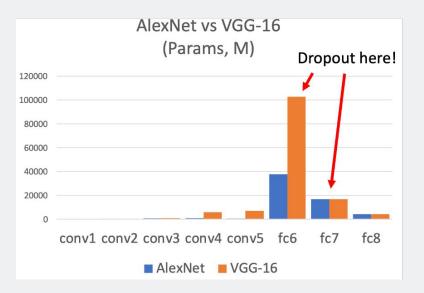
def train_step(X): # forward pass for example 3-layer neural network H1 = np.maximum(0, np.dot(W1, X) + b1)U1 = (np.random.rand(*H1.shape) < p) / p # first dropout mask. Notice /p!</pre> H1 *= U1 # drop! H2 = np.maximum(0, np.dot(W2, H1) + b2)U2 = (np.random.rand(*H2.shape) < p) / p # second dropout mask. Notice /p! H2 *= U2 # drop! out = np.dot(W3, H2) + b3 # backward pass: compute gradients... (not shown) # perform parameter update... (not shown) def predict(X): # ensembled forward pass H1 = np.maximum(0, np.dot(W1, X) + b1) # no scaling necessary H2 = np.maximum(0, np.dot(W2, H1) + b2)out = np.dot(W3, H2) + b3

Drop and scale during training

test time is unchanged!

Dropout architectures

Recall AlexNet, VGG have most of their parameters in **fully-connected layers**; usually Dropout is applied there



Later architectures (GoogLeNet, ResNet, etc) use global average pooling instead of fully-connected layers: they don't use dropout at all!



Regularization: A common pattern

Training: Add some kind of randomness

 $y = f_w(x, z)$

For ResNet and later, often L2 and Batch Normalization are the only regularizers!

Example: Batch Normalization

Training: Normalize using stats from random mini batches

Testing: Average out randomness (sometimes approximate)

$$y = f(x, z) = \mathbb{E}_{z}[f(x, z)] = \int p(z)f(x, z)dz$$

Testing: Use fixed stats to normalize



Regularization: A common pattern

Training: Add some randomness Testing: Marginalize over randomness

Examples:

- Dropout
- Batch Normalization
- Data Augmentation

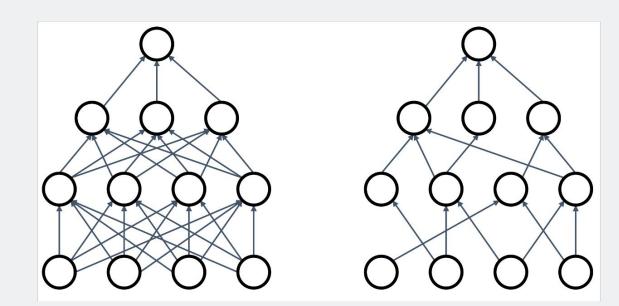


Regularization: DropConnect

Training: Drop random connections between neurons (set weight=0) Testing: Use all the connections

Examples:

Dropout Batch Normalization Data Augmentation DropConnect



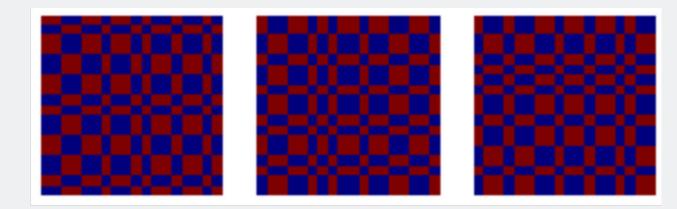


Regularization: Fractional Pooling

Training: Use randomized pooling regions **Testing**: Average predictions over different samples

Examples:

Dropout Batch Normalization Data Augmentation DropConnect Fractional Max Pooling





Regularization: Stochastic Depth

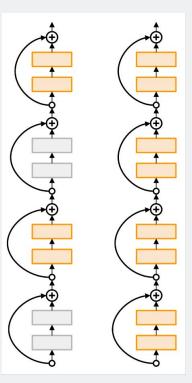
Training: Skip some residual blocks in ResNet **Testing**: Use the whole network

Examples:

Dropout Batch Normalization Data Augmentation DropConnect Fractional Max Pooling Stochastic Depth

Starting to become common in recent architectures:

- Pham et al, "Very Deep Self-Attention Networks for End-to-End Speech Recognition", INTERSPEECH 2019
- Tan and Le, "EfficientNetV2: Smaller Models and Faster Training", ICML 2021
- Fan et al, "Multiscale Vision Transformers", ICCV 2021
- Bello et al, "Revisiting ResNets: Improved Training and Scaling Strategies", NeurIPS 2021
- Steiner et al, "How to train your ViT? Data, Augmentation, and Regularization in Vision Transformers", arXiv 2021



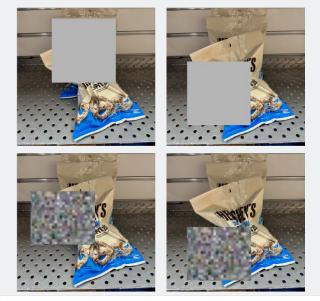


Regularization: CutOut

Training: Set random image regions to 0 Testing: Use the whole image

Examples:

Dropout Batch Normalization Data Augmentation DropConnect Fractional Max Pooling Stochastic Depth Cutout / Random Erasing



Replace random regions with mean value or random values

DeVries and Taylor, "Improved Regularization of Convolutional Neural Networks with Cutout", arXiv 2017 Zhong et al, "Random Erasing Data Augmentation", AAAI 2020



Regularization: Mixup

Training: Train on random blends of images **Testing**: Use original images

Examples:

Dropout Batch Normalization Data Augmentation DropConnect Fractional Max Pooling Stochastic Depth Cutout / Random Erasing Mixup THE REAL PROPERTY OF THE PROPERTY OF THE REAL PROPE



Randomly blend the pixels of pairs of training images, e.g. 60% pretzels, 40% robot

Zhang et al, "mixup: Beyond Empirical Risk Minimization", ICLR 2018

Sample blend probability from a beta distribution Beta(a, b) with a=b=0 so blend weights are close to 0/1

CNN Target label: Pretzels: 0.6 Robot: 0.4

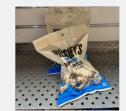


Regularization: CutMix

Training: Train on random blends of images **Testing**: Use original images

Examples:

Dropout Batch Normalization Data Augmentation DropConnect Fractional Max Pooling Stochastic Depth Cutout / Random Erasing Mixup / CutMix







Target label: Pretzels: 0.6 Robot: 0.4

Replace random crops of one image with another, e.g. 60% of pixels from pretzels, 40% from robot

Yun et al, "CutMix: Regularization Strategies to Train Strong Classifiers with Localizable Features", ICCV 2019



Regularization: Label Smoothing

Training: Train on smooth labels Testing: Use original images

Examples:

Dropout Batch Normalization Data Augmentation DropConnect Fractional Max Pooling Stochastic Depth Cutout / Random Erasing Mixup / CutMix Label Smoothing



Standard Training

Pretzels: 100% Robot: 0% Sugar: 0%

Label Smoothing

Pretzels: 90% Robot: 5% Sugar: 5%

Set target distribution to be $1 - \frac{K-1}{K}\epsilon$ on the correct category and ϵ/K on all other categories, with *K* categories and $\epsilon \in (0,1)$.

Loss is cross-entropy between predicted and target distribution.

Szegedy et al, "Rethinking the Inception Architecture for Computer Vision", CVPR 2015



Data Augmentation

(example)

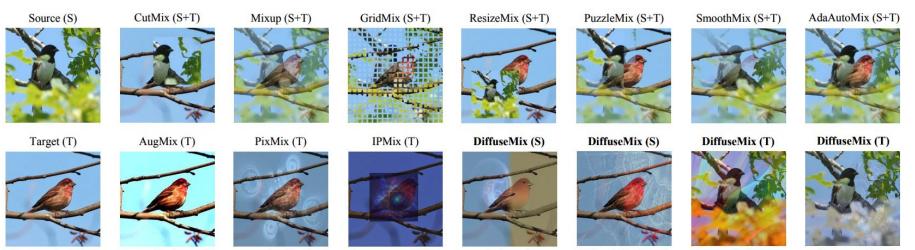


Figure 1. **Top row:** existing mixup methods *interpolate* two different training images [22, 48]. **Bottom row:** label-preserving methods. For each input image, DIFFUSEMIX employs *conditional prompts* to obtain generated images. The input image is then concatenated with a generated image to obtain a hybrid image. Each hybrid image is blended with a random fractal to obtain the final training image.

https://openaccess.thecvf.com/content/CVPR2024/papers/Islam_DiffuseMix_Label-Preserving_Data_Augmentation_with_Diffu sion_Models_CVPR_2024_paper.pdf



Regularization: Summary

Training: Add some randomness Testing: Marginalize over randomness

Examples:

Dropout Batch Normalization Data Augmentation DropConnect Fractional Max Pooling Stochastic Depth Cutout / Random Erasing Mixup / CutMix Label Smoothing

- Use DropOut for large fully-connected layers
- Data augmentation is always a good idea
- Use BatchNorm for CNNs (but not ViTs)
- Try Cutout, Mixup, CutMix, Stochastic Depth, Label
 Smoothing to squeeze out a bit of extra performance



Summary

1. One time setup:

- Activation functions, data preprocessing, weight initialization, regularization
- 2. Training dynamics:
 - Learning rate schedules; large-batch training; hyperparameter optimization
- 3. After training:
 - Model ensembles, transfer learning



Next time

Today